

PUBLICATIONS AND CITATIONS OF ÁRPÁD SZÁZ

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ARTICLES :

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 - (4) A. Yu. Brychkov, A. P. Prudnikov and V. S. Shishov *Operational Calculus*, Mathematical Analysis 16, Results of Science and Technics, Moscow, 1979, 99–148. (Russian.)
 - (5) A. Yu. Brychkov, A. P. Prudnikov and V. S. Shishov, *Operational Calculus*, J. Soviet Math. **15** (1981), 733–765.
 - (6) A. P. Prudnikov, *On the continuation of the ideas of Heaviside and Mikusiński in operational calculus*, Dissertationes Math. **340** (1995), 237–287.

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